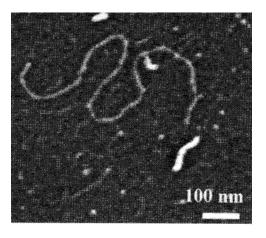
# The physical characterisation of polysaccharides in solution









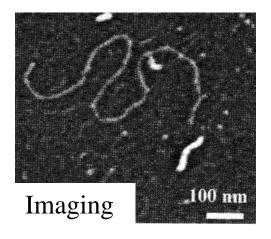
Stephen Harding
University of Nottingham

# The physical characterisation of polysaccharides in solution

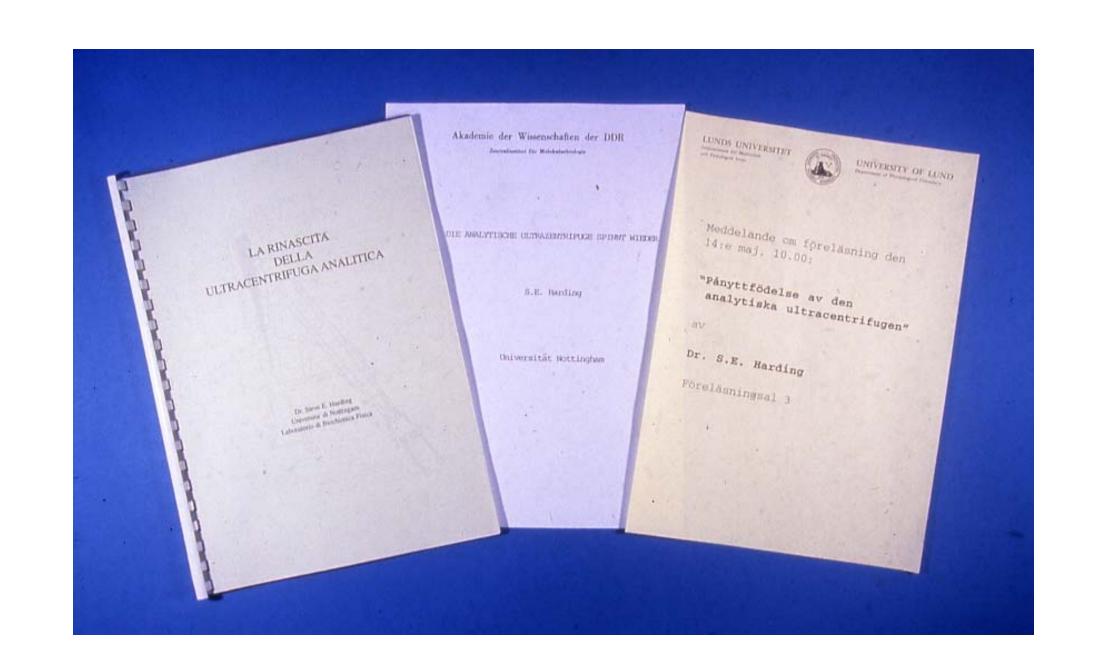


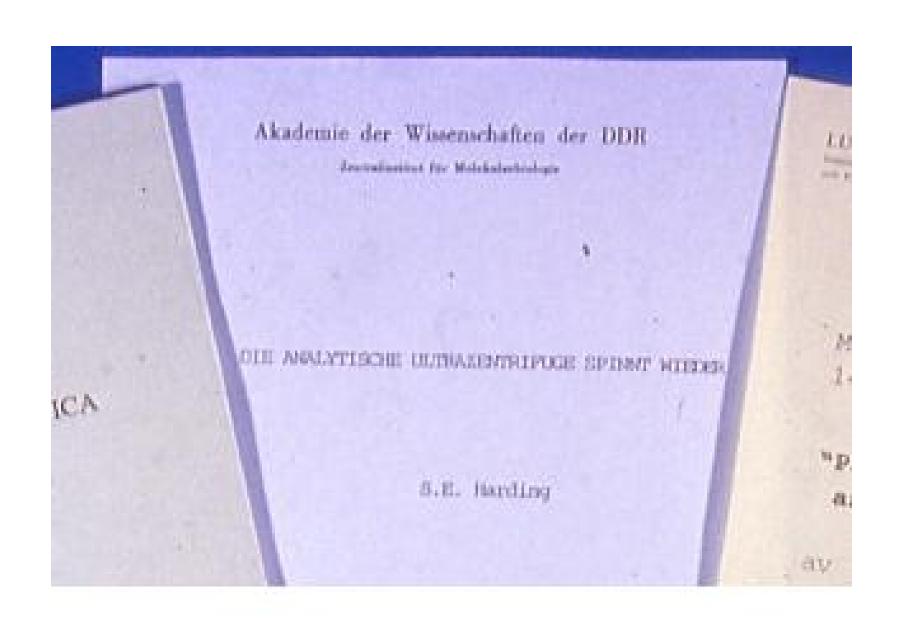


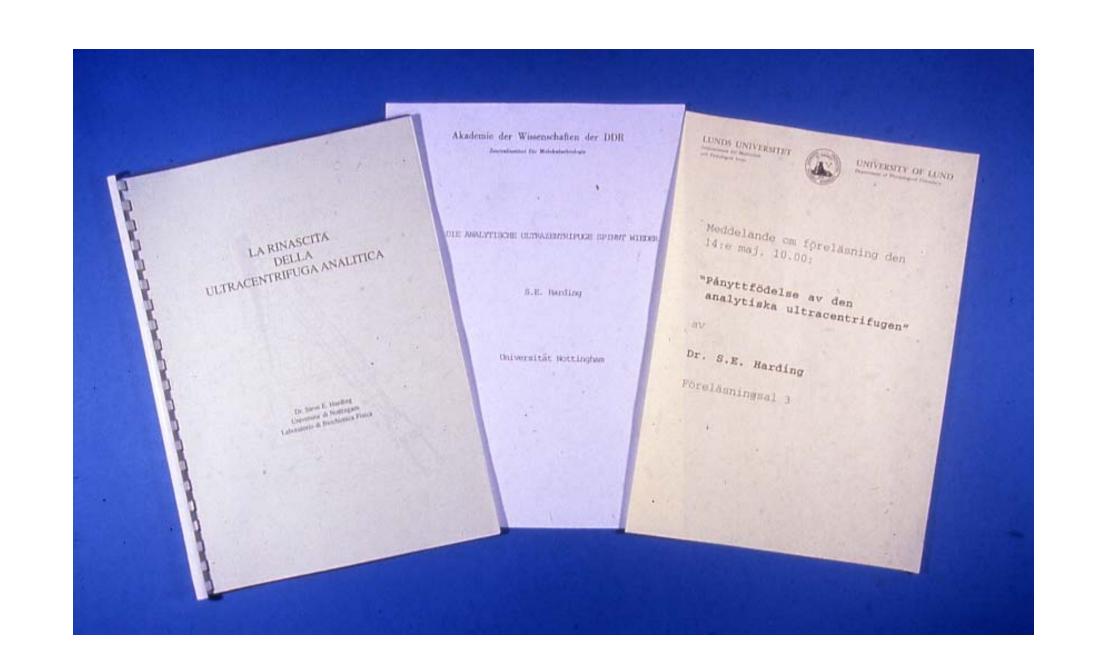




Stephen Harding
University of Nottingham







### Physical characterisation

- 1. Viscosity, stability
- 2. Heterogeneity, Molecular weight & distribution, stability
- 3. Conformation in solution
- 4. Interactions

### Physical characterisation

- 1. Viscosity, stability
- 2. Heterogeneity, Molecular weight & distribution
- 3. Conformation in solution
- 4. Interactions

- 1: Viscometry. 2: SEC-MALLs & analytical ultracentrifugation.
- 3: Viscometry, SEC-MALLs & analytical ultracentrifugation. 4.

Analytical ulttracentrifugation & atomic force microscopy

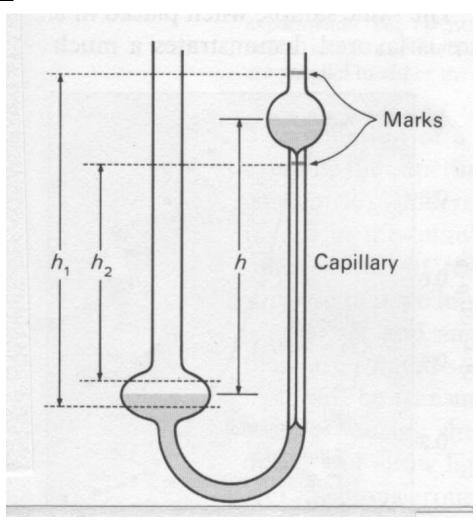
# 1. Viscosity from precision viscometry

# 1. Viscosity by Precision viscometry



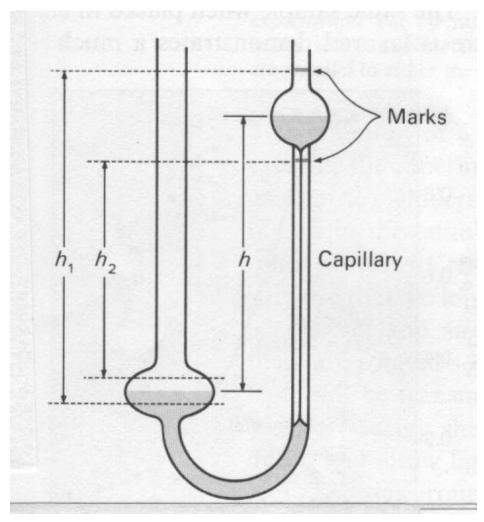


Intrinsic viscosity, ml/g



Ostwald Viscometer

1. "U-tube" (Ostwald or Ubbelohde)



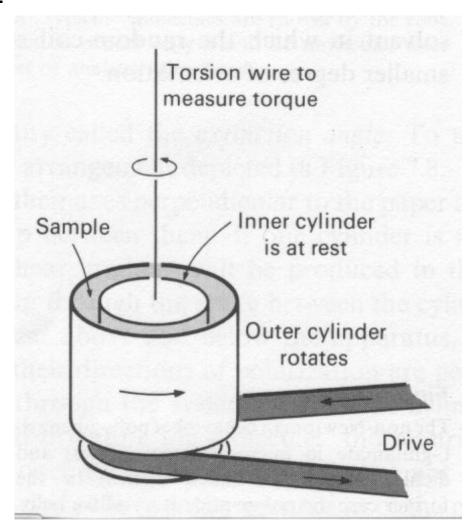
Ostwald Viscometer

1. "U-tube" (Ostwald or Ubbelohde)



Extended Ostwald Viscometer

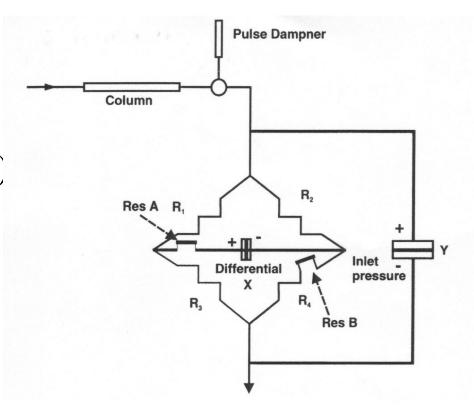
- 1. "U-tube" (Ostwald or Ubbelohde)
- 2. "Cone & Plate" (Couette)



Couette-type Viscometer

- 1. "U-tube" (Ostwald or Ubbelohde)
- 2. "Cone & Plate" (Couette)

3. Pressure imbalance on-line viscometer

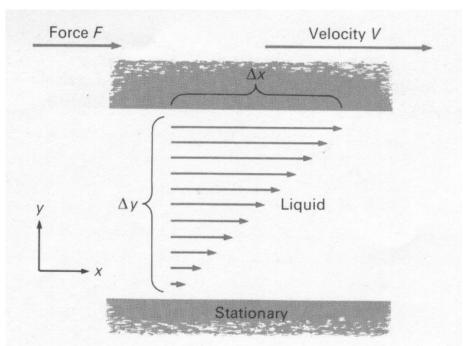


Auto-timer Coolant system

Density meter

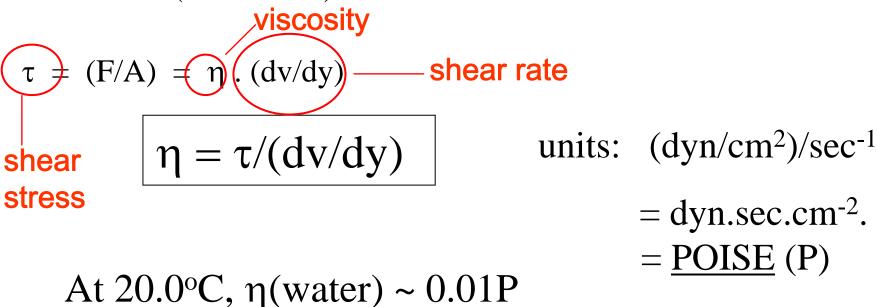
Solution

Water bath ± 0.01°C



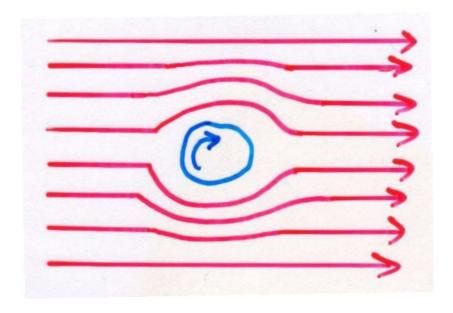
### **Definition of viscosity:**

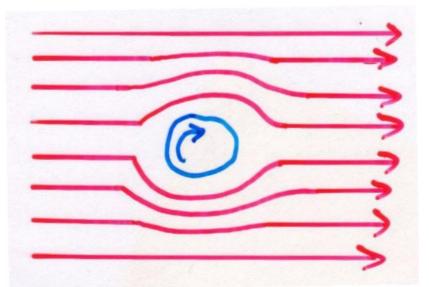
For normal (Newtonian) flow behaviour:



#### Viscosity of biomolecular solutions:

A dissolved macromolecule will <u>INCREASE</u> the viscosity of a solution because it disrupts the <u>streamlines</u> of the flow:





We define the <u>relative viscosity</u>  $\eta_r$  as the ratio of the viscosity of the <u>solution</u> containing the macromolecule,  $\eta$ , to that of the pure solvent in the absence of macromolecule,  $\eta_o$ :

$$\eta_r = \eta/\eta_o$$
 no units

For a U-tube viscometer,  $\eta_r = (t/t_o)$ .  $(\rho/\rho_o)$ 

#### Reduced viscosity

The <u>relative viscosity</u> depends (at a given temp.) on the concentration of macromolecule, the shape of the macromolecule & the volume it occupies.

If we are going to use viscosity to infer on the shape and volume of the macromolecule we need to eliminate the concentration contribution.

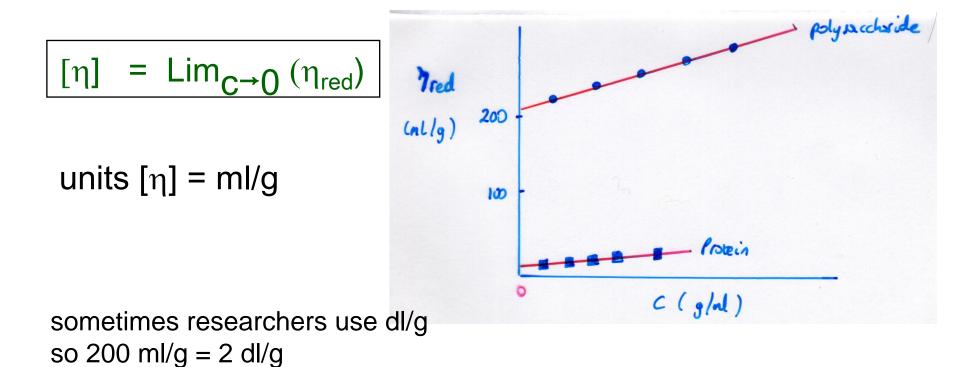
The first step is to define the <u>reduced viscosity</u>

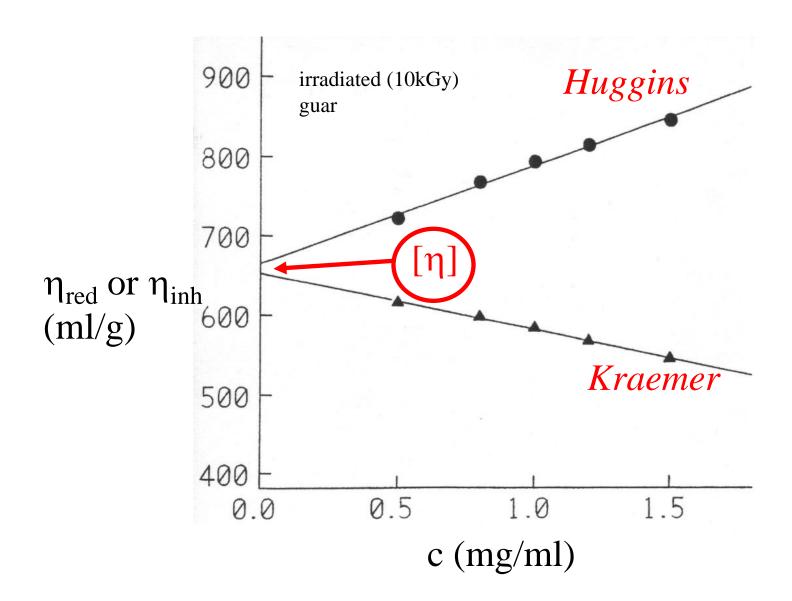
$$\eta_{red} = (\eta_r - 1)/c$$

If c is in g/ml, units of  $\eta_{red}$  are ml/g

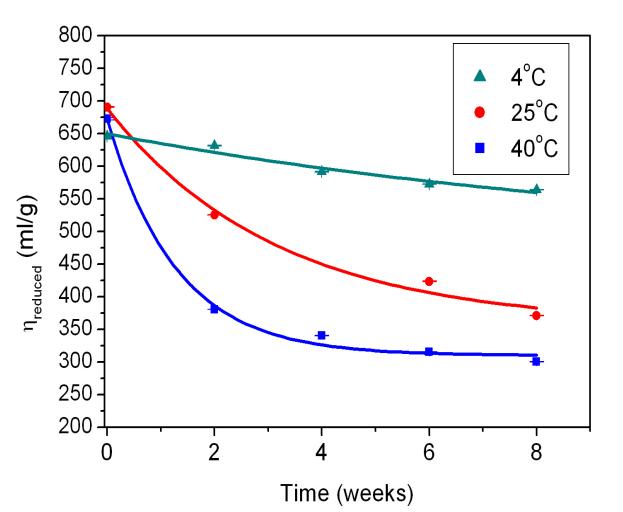
#### The Intrinsic Viscosity [η]

The next step is to eliminate <u>non-ideality</u> effects deriving from exclusion volume, backflow and charge effects. We measure  $\eta_{red}$  at a series of concentrations and extrapolate to zero concentration:





#### Viscosity probe: chitosan stability



Fee et al, 2006

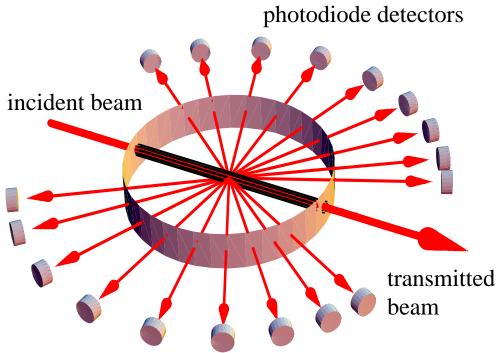
# 2. Heterogeneity and molecular weight: SEC-MALLs

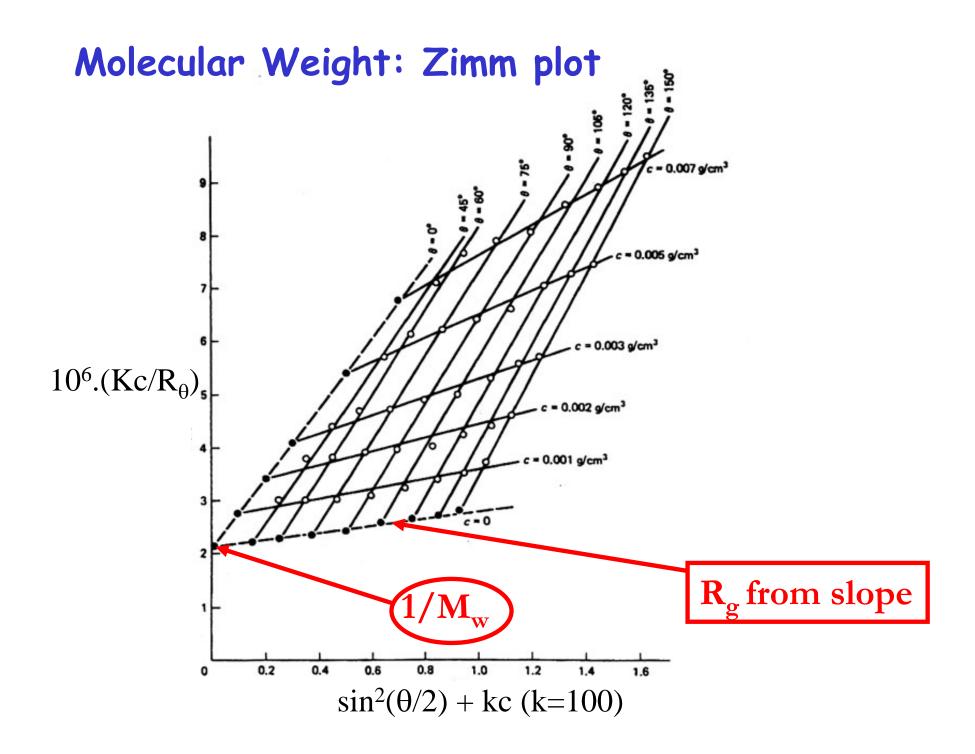
# 2. Heterogeneity and Molecular Weight: SEC-MALLs



## Molecular Weight: Light scattering



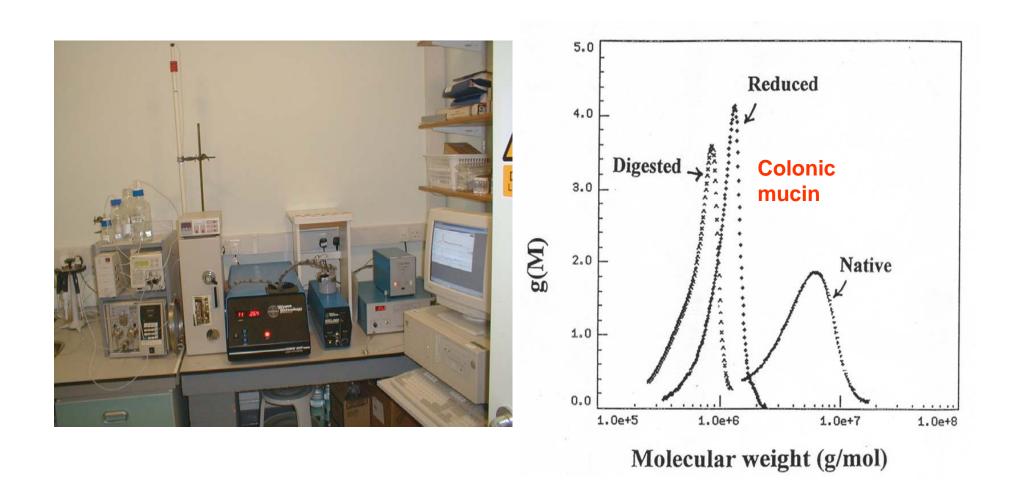




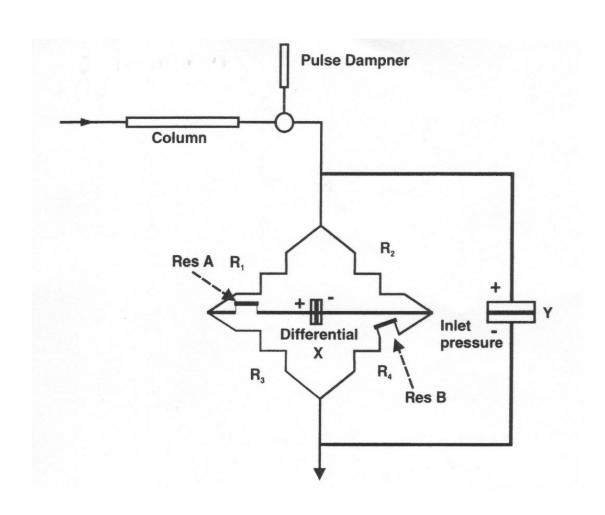
# Molecular Weight: SEC-MALLS

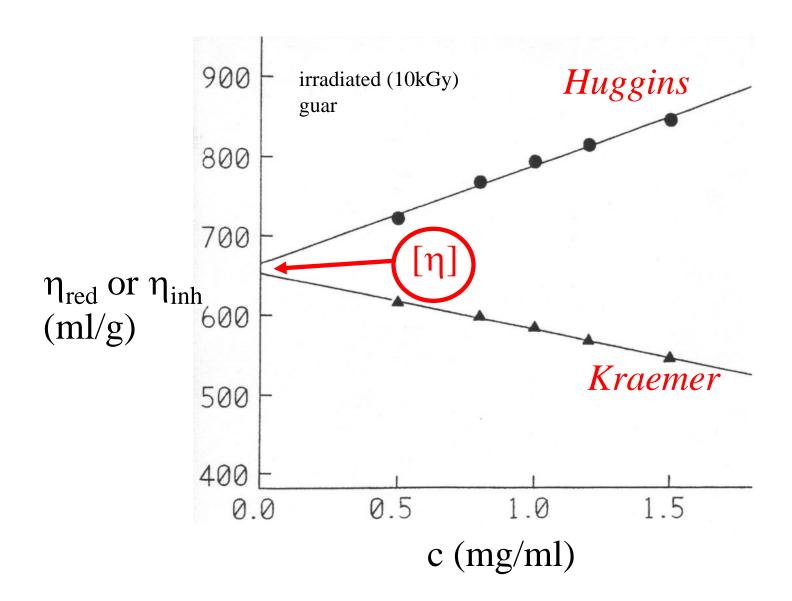


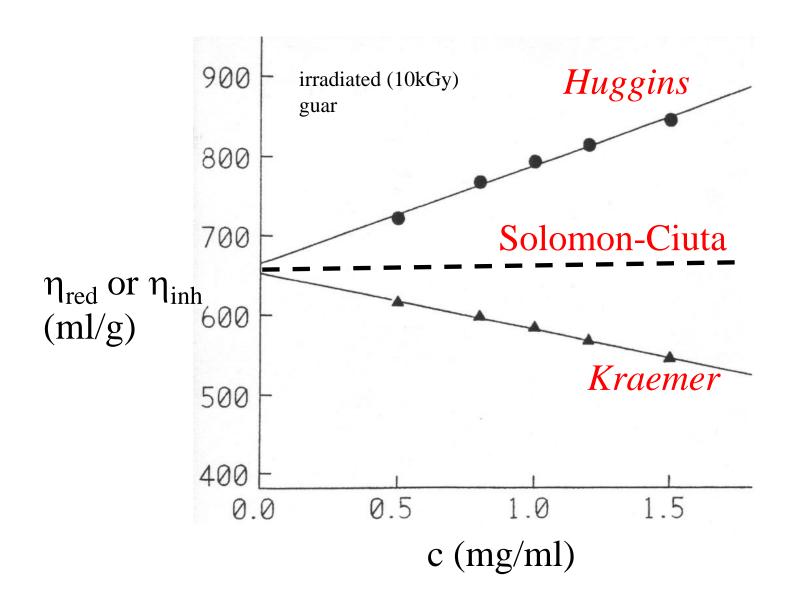
## Molecular Weight: SEC-MALLS



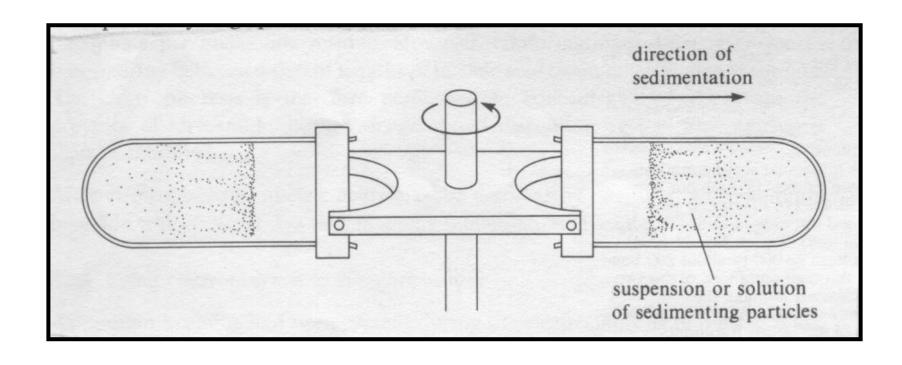
# Can also couple a "pressure imbalance" type of viscometer on-line...







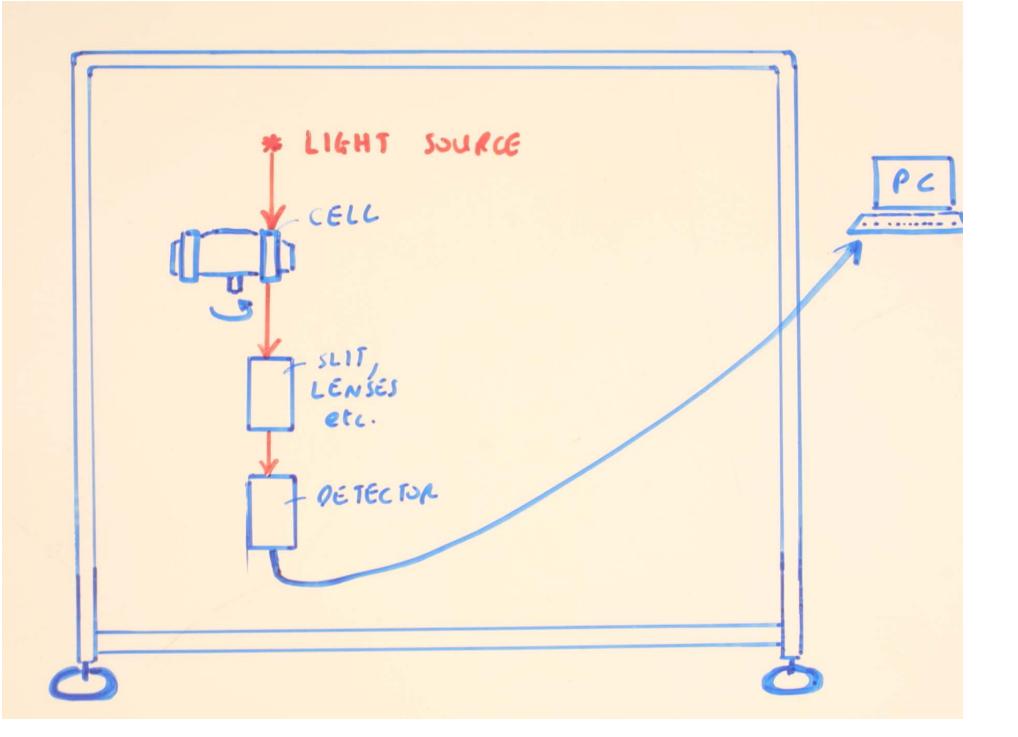
## Analytical Ultracentrifugation



# Optima XLA/ XLI

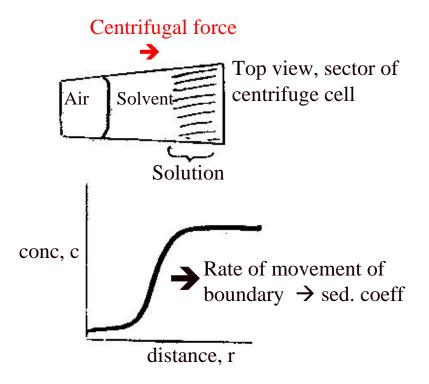








#### Sedimentation Velocity

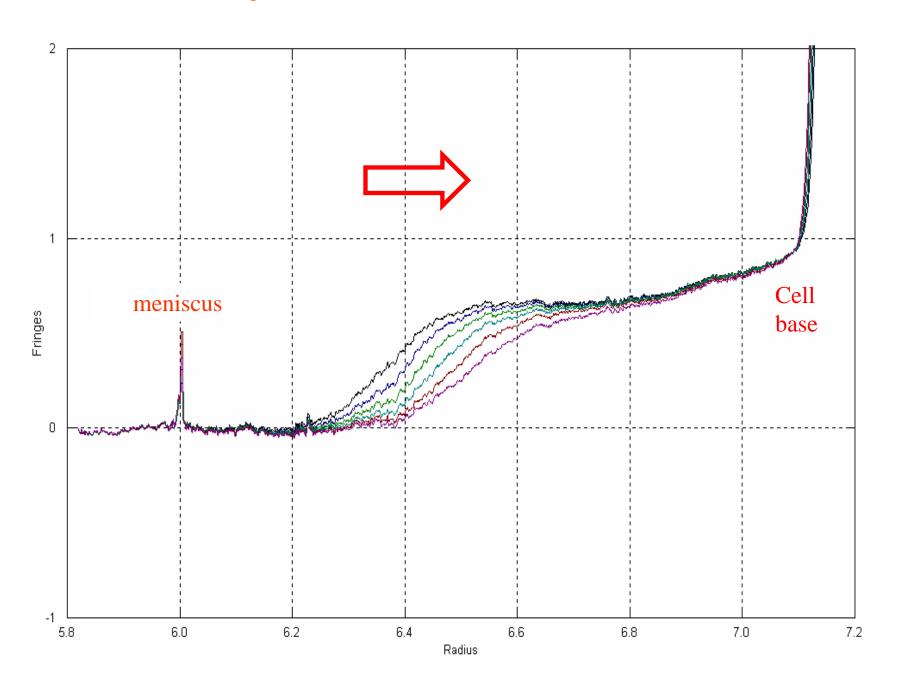




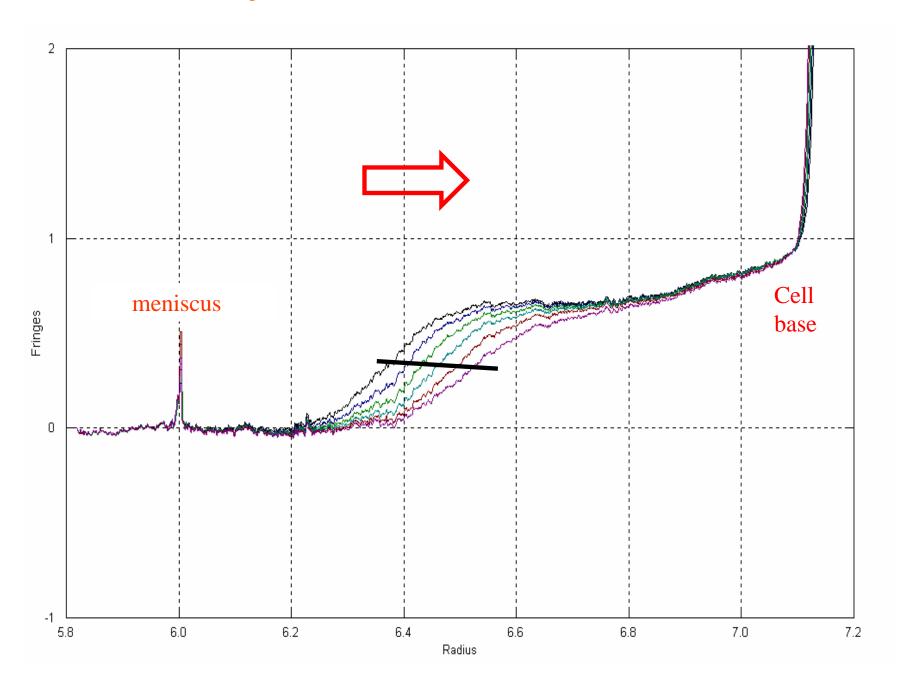


Sedimentation coefficient, S

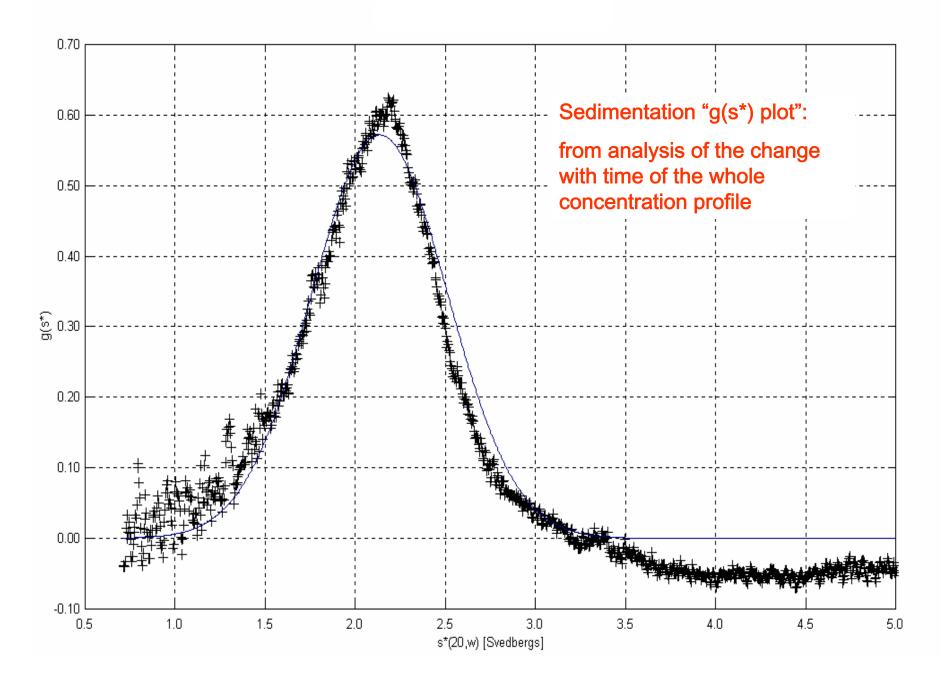
#### Chitosan G213, 0.5 mg/ml

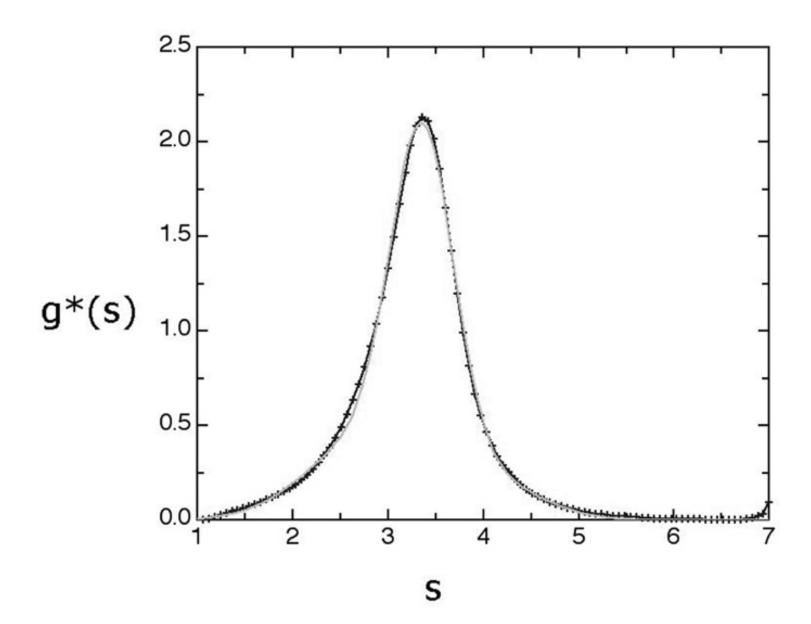


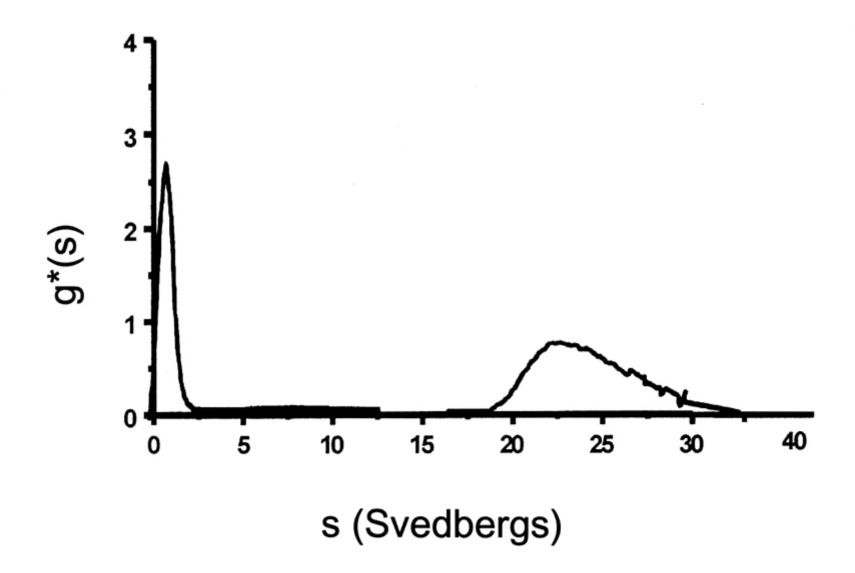
#### Chitosan G213, 0.5 mg/ml



#### Chitosan G213, 0.5 mg/ml

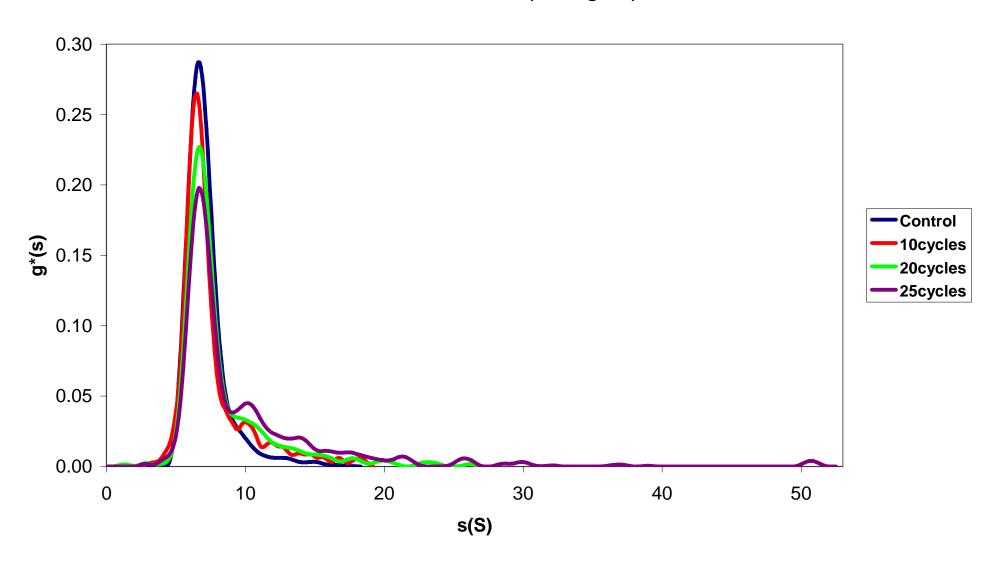




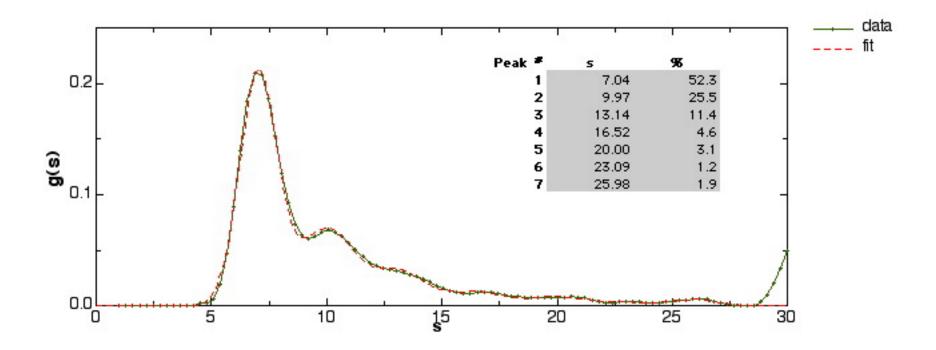


#### .....stability studies

SAN02 Freeze-thaw (1.16mg/mL)

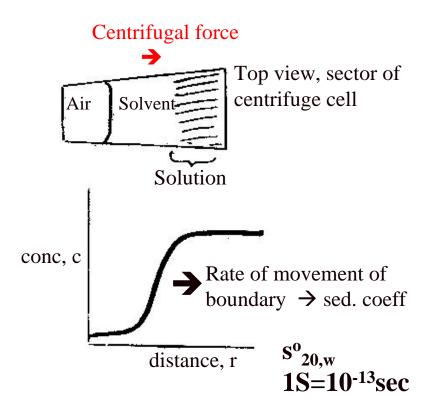


# Multi-Gaussian fit estimates *proportions* of each species too:

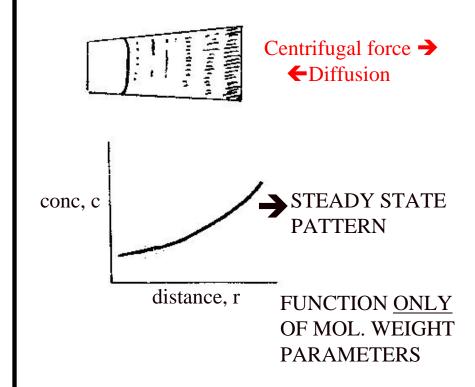


# 2 types of AUC Experiment:

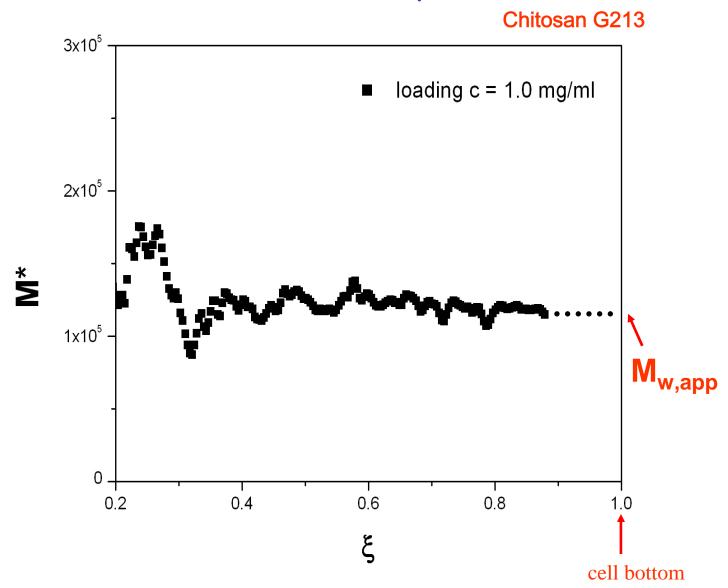
# **Sedimentation Velocity**



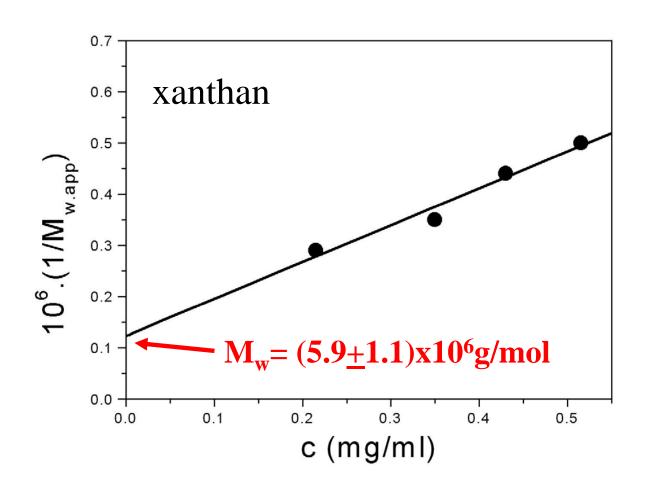
# **Sedimentation Equilibrium**



# Extraction of $M_{w,app}$ from sedimentation equilibrium and "MSTAR" analysis



# Extraction of $M_{w,app}$ from sedimentation equilibrium and "MSTAR" analysis



# 3. Conformation in solution

#### Conformation in solution

#### 1. Experimental data required

- Molecular weight
- $[\eta]$ , s,  $R_g$

#### 2. Modelling strategies

- General conformation type (rod, coil or sphere etc.)
- Measure of flexibility the persistence length, L<sub>p</sub>,
- If ~ rigid then aspect ratio.

#### Conformation in solution

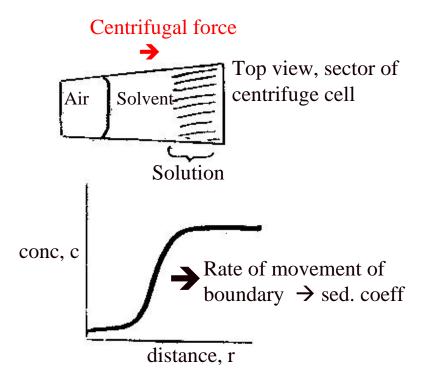
#### 1. Experimental data required

- Molecular weight: SEC-MALLs reinforced by sed. equilibrium
- $[\eta]$ , s,  $R_g$

#### 2. Modelling strategies

- General conformation type (rod, coil or sphere etc.)
- Measure of flexibility the persistence length, L<sub>p</sub>,
- If ~ rigid then aspect ratio.

#### Sedimentation Velocity

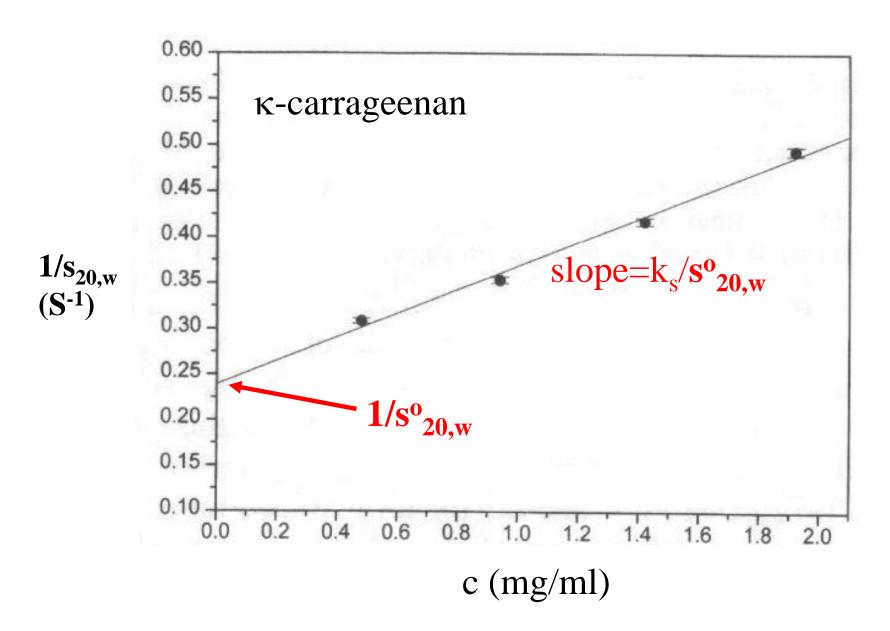


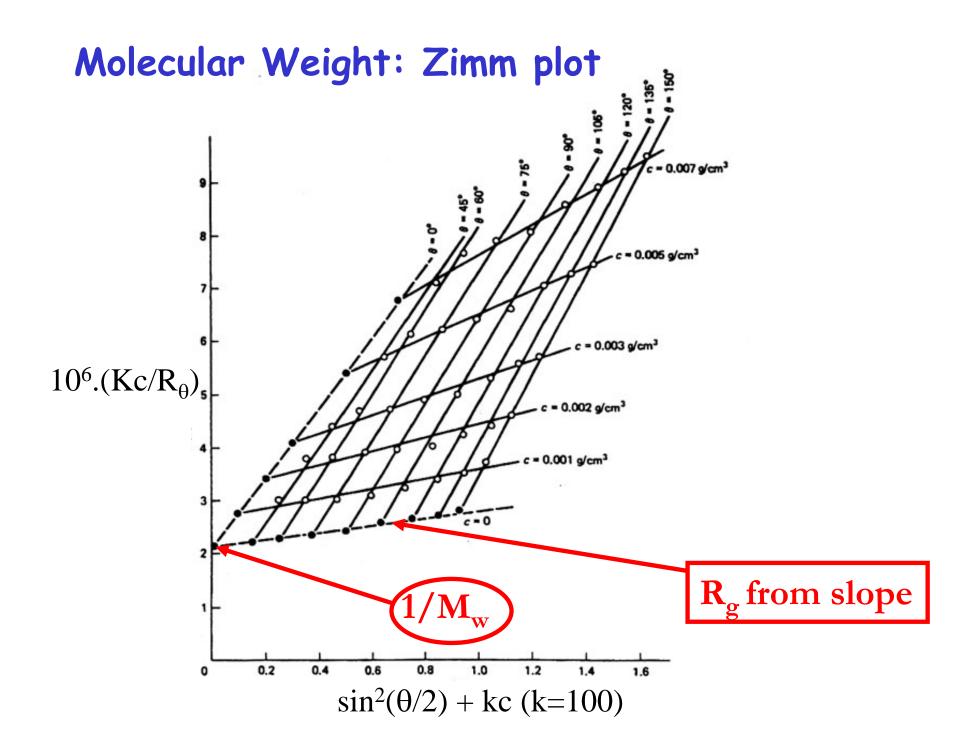


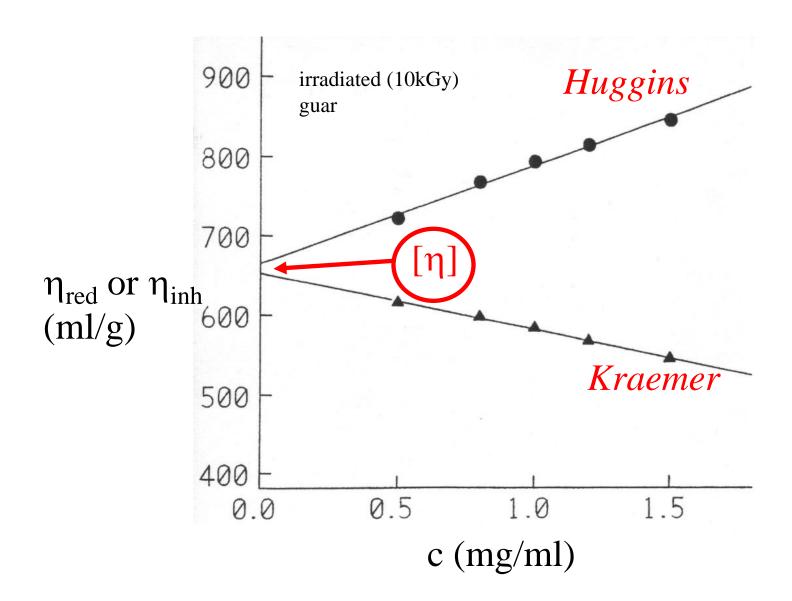


Sedimentation coefficient, S

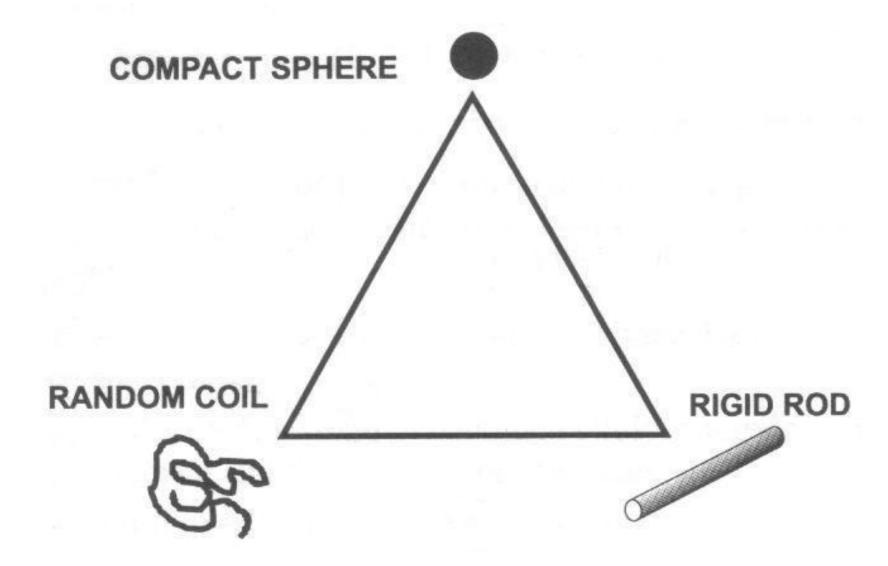
# so<sub>20,w</sub> extraction

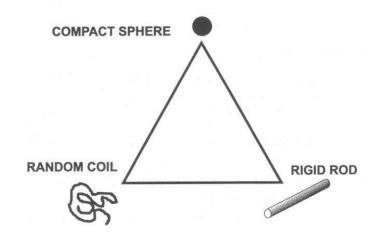






# Haug Triangle

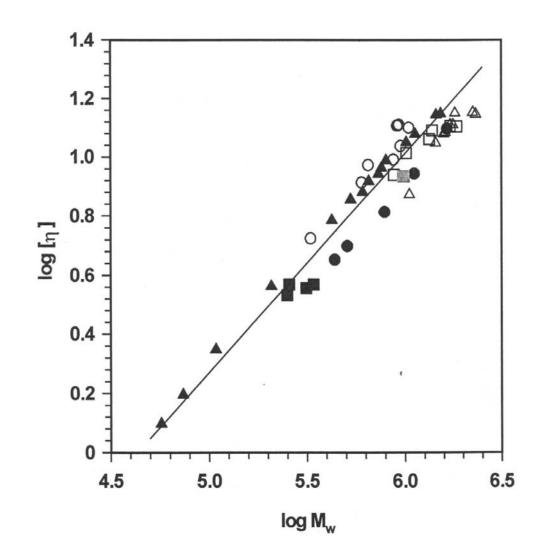




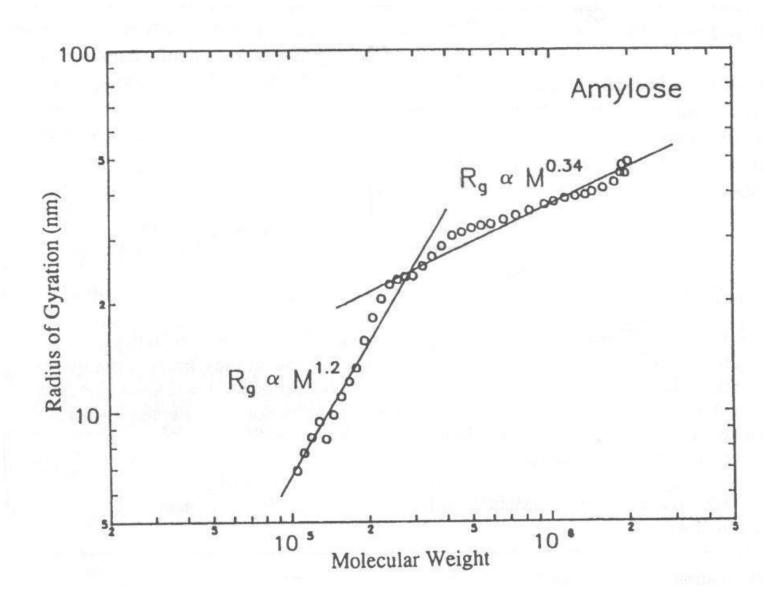
Sphere	Rod	Coil
$[\eta] \sim M^0$	$[\eta] \sim M^{1.8}$	$[\eta] \sim M^{0.5-0.8}$
$s_{20,w}^{o} \sim M^{0.67}$	$s_{20,w}^{o} \sim M^{0.15}$	$s^{o}_{20,w} \sim M^{0.4-0.5}$
$R_g \sim M^{0.33}$	$R_g \sim M^{1.0}$	$R_g \sim M^{0.5-0.6}$

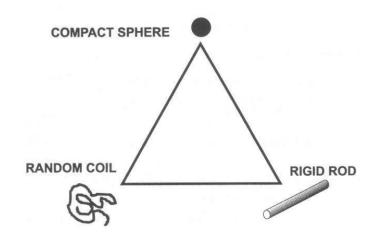
#### Mark-Houwink-Kuhn-Sakurada Power law plot

Galactomannans  $a=0.74\pm0.01$ 

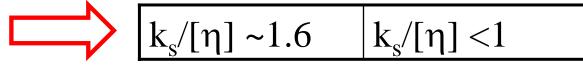


#### Change in Conformation

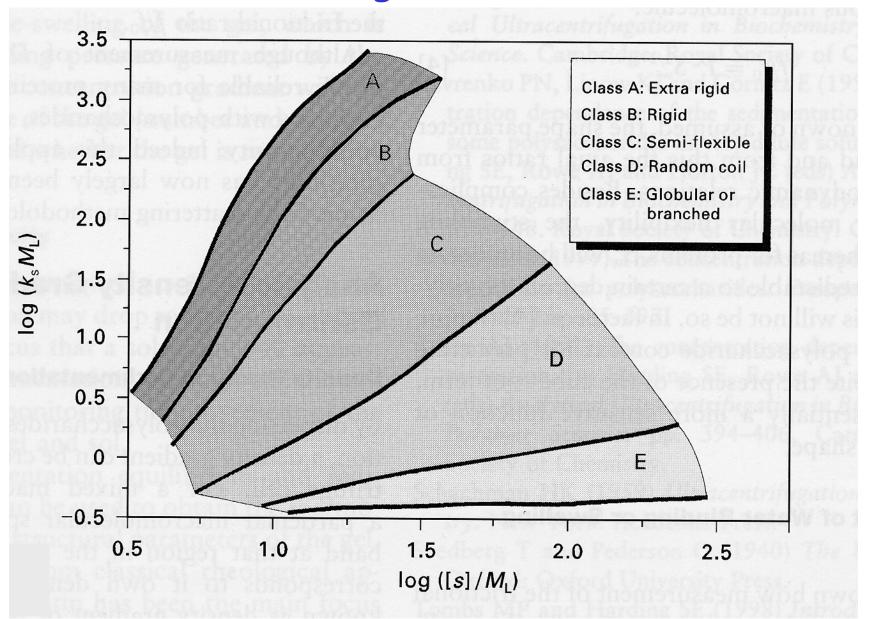




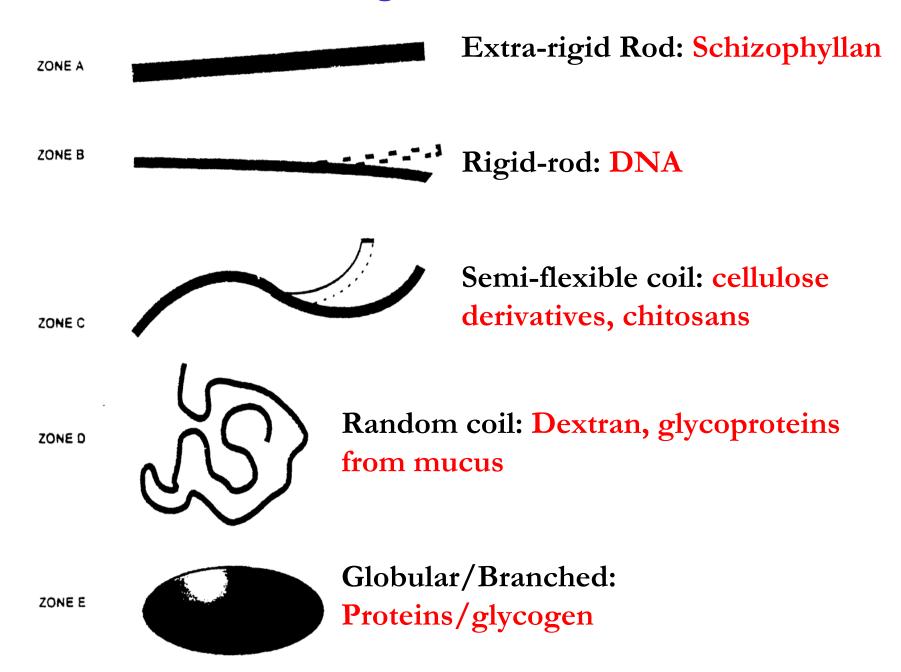
Sphere	Rod	Coil
$[\eta] \sim M^0$	$[\eta] \sim M^{1.8}$	$[\eta] \sim M^{0.5-0.8}$
$s_{20,w}^{o} \sim M^{0.67}$	$s_{20,w}^{o} \sim M^{0.15}$	$s^{o}_{20,w} \sim M^{0.4-0.5}$
$R_{g} \sim M^{0.33}$	$R_g \sim M^{1.0}$	$R_{g} \sim M^{0.5-0.6}$
$k_s/[\eta] \sim 1.6$	$k_s/[\eta] < 1$	$k_{\rm s}/[\eta] \sim 1.6$

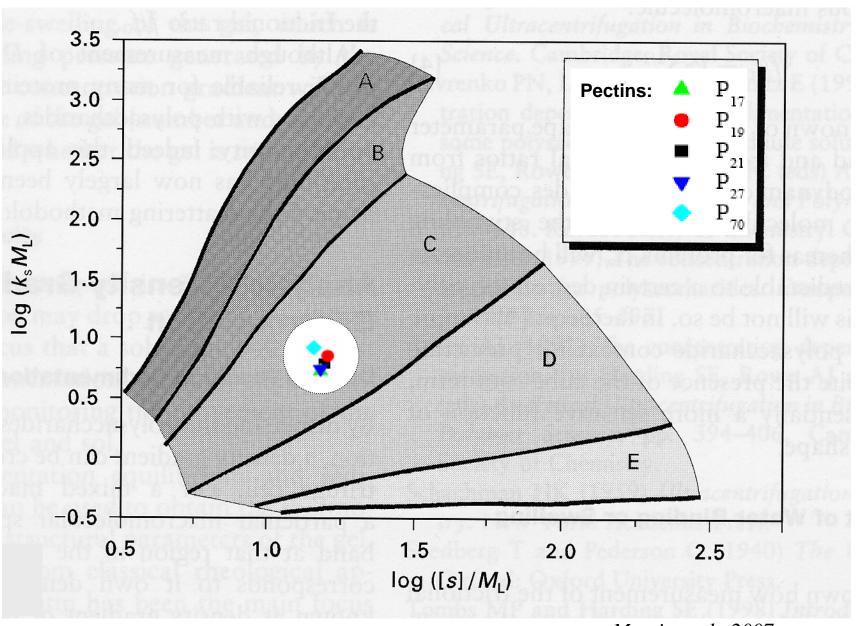


#### Conformation Zoning:



#### Conformation Zoning:

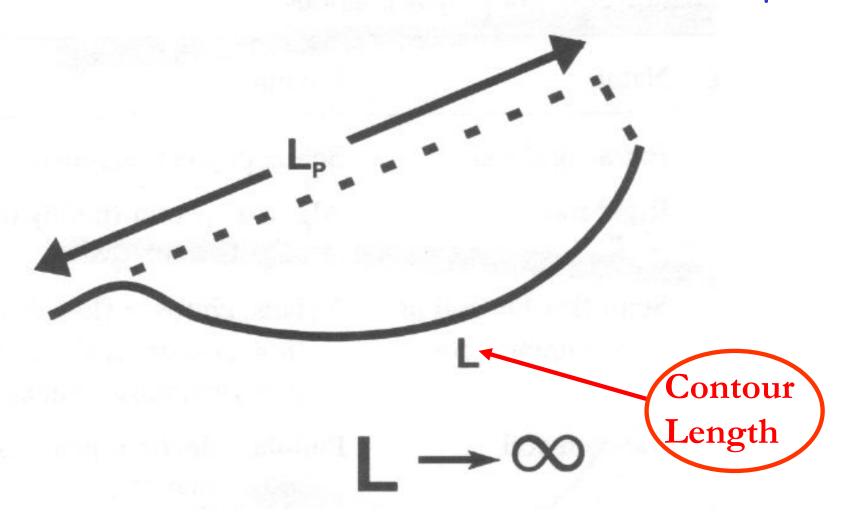




Morris et al., 2007

#### Worm-like Chain

Flexibility parameter: Persistence length L<sub>p</sub>



Kuhn-statistical length  $\lambda^{-1} = 2L_p$ 

#### Worm-like Chain

Flexibility parameter: Persistence length L<sub>p</sub>

Theoretical limits: Random coil  $L_p = 0$ 

Rigid rod  $L_p = infinity$ 

Practical limits: Random coil  $L_p \sim 1-2nm$ 

Rigid rod  $L_p \sim 200$ nm

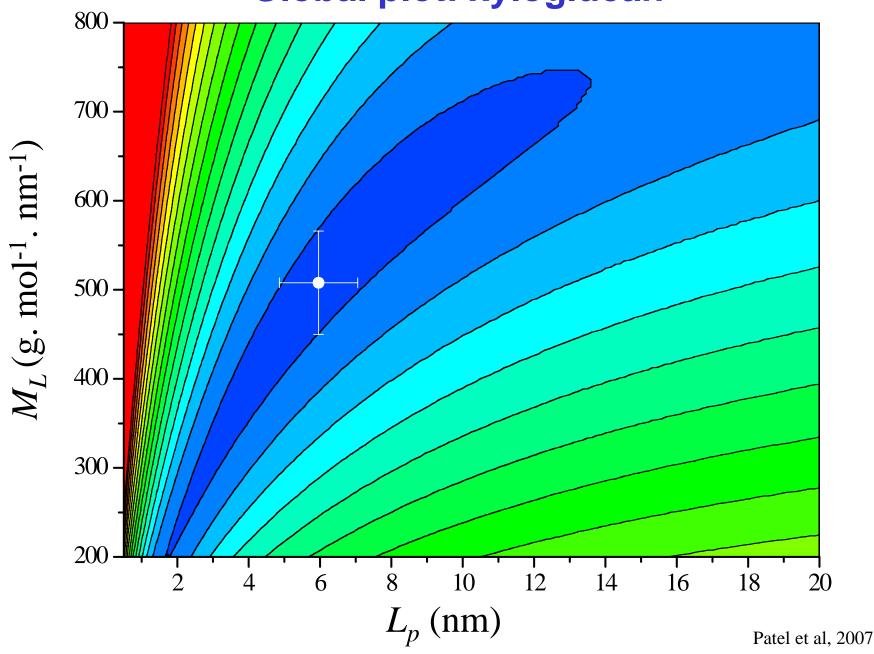
#### "Bohdanecky" relation

$$\left(\frac{M_{w}^{2}}{[\eta]}\right)^{1/3} = A_{0}M_{L}\Phi^{-1/3} + B_{0}\Phi^{-1/3}\left(\frac{2L_{p}}{M_{L}}\right)^{-1/2}M_{w}^{1/2}$$

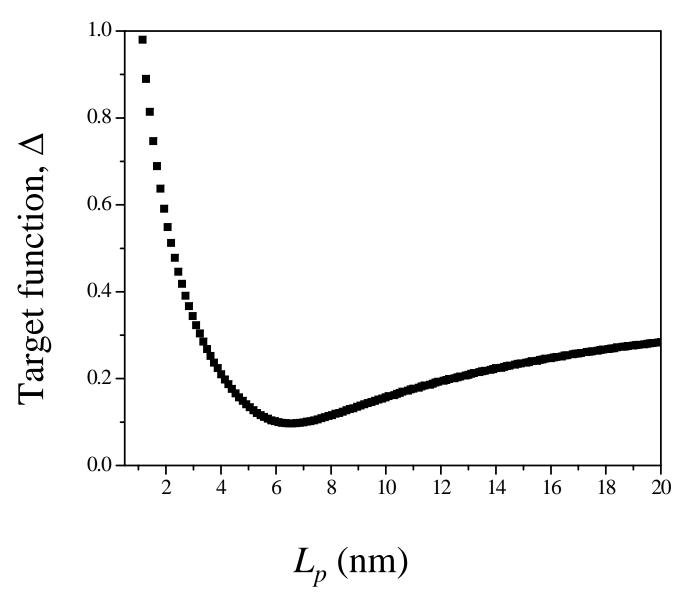
#### "Yamakawa-Fujii" relation

$$s^{0} = \frac{M_{L}(1 - v\rho_{0})}{3\pi\eta_{0}N_{A}} \times \left[1.843 \left(\frac{M_{w}}{2M_{L}L_{p}}\right)^{1/2} + A_{2} + A_{3}\left(\frac{M_{w}}{2M_{L}L_{p}}\right)^{-1/2} + ....\right]$$

#### Global plot: xyloglucan



#### ....or if you know the mass per unit length

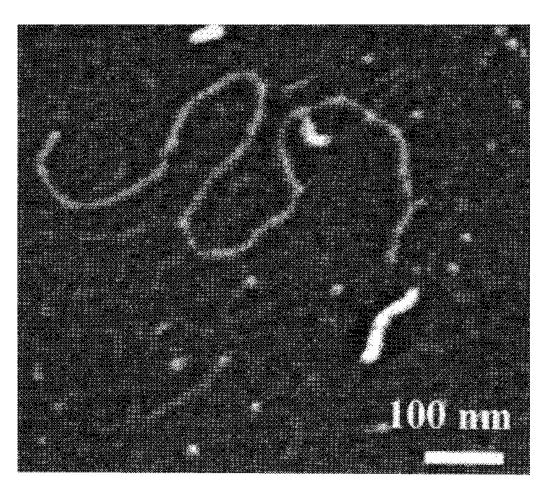


# Flexibilities of carbohydrate polymers

Carbohydrate Polymer	L <sub>p</sub> (nm)
Pullulan	1-2
Xyloglucan	5-8
Pectins	10-20
DNA	45
Schizophyllan	120-200
Scleroglucan	180 <u>+</u> 30
Xanthan	200

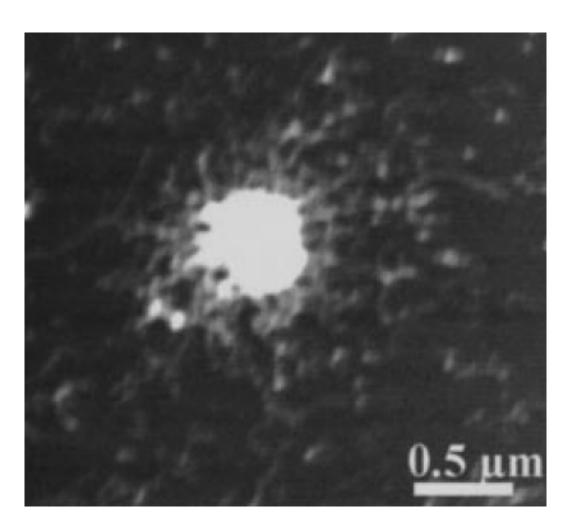
# 4. Interactions

### Atomic Force Microscopy: chitosan



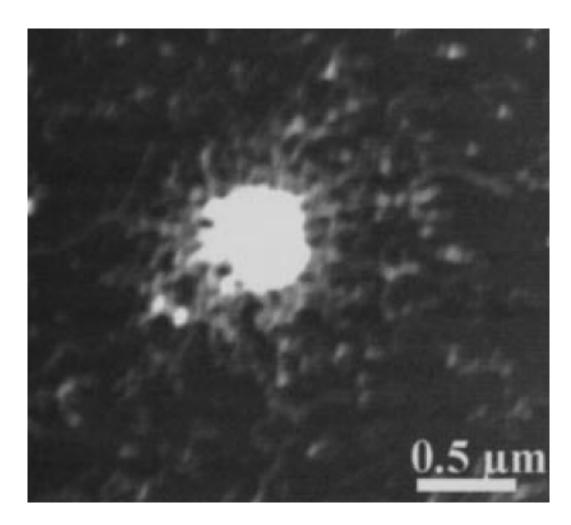
Sedimentation coefficient so<sub>20,w</sub> ~ 1S

# chitosan-mucin complex



Sedimentation coefficient so<sub>20,w</sub> ~ 2000S

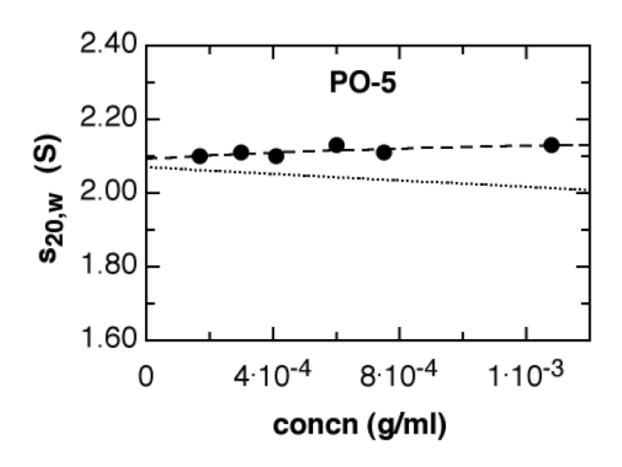
# chitosan-mucin complex



Sedimentation coefficient so<sub>20,w</sub> ~ 2000S

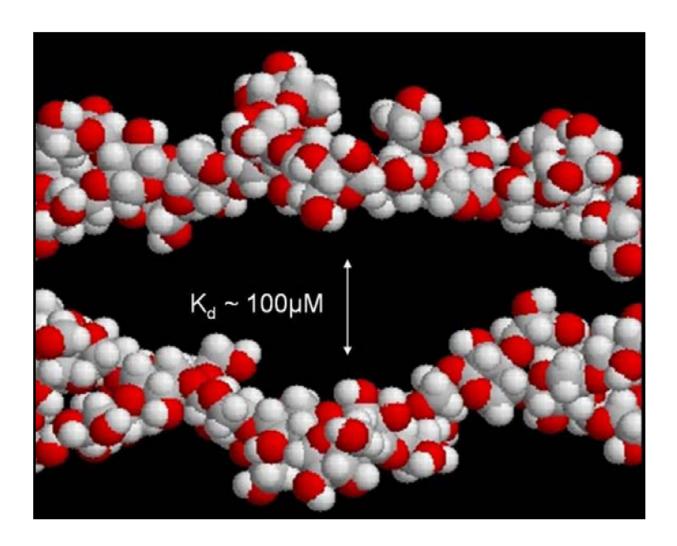
very strong, irreversible interaction

# "bioactive" arabinoxylan



very weak, reversible interaction

# "bioactive" arabinoxylan



very weak, reversible interaction

#### Physical characterisation

- 1. Viscosity, stability
- 2. Heterogeneity, Molecular weight & distribution
- 3. Conformation in solution
- 4. Interactions

#### Physical characterisation

- 1. Viscosity, stability
- 2. Heterogeneity, Molecular weight & distribution
- 3. Conformation in solution
- 4. Interactions

Thanks to: Prof. Arthur Rowe, Drs. Gordon Morris, Yanling Lu, Trushar Patel (NCMH) & Professor Jose Garcia de la Torre (Murcia)

#### for a copy of this presentation ...

http://www.nottingham.ac.uk/ncmh